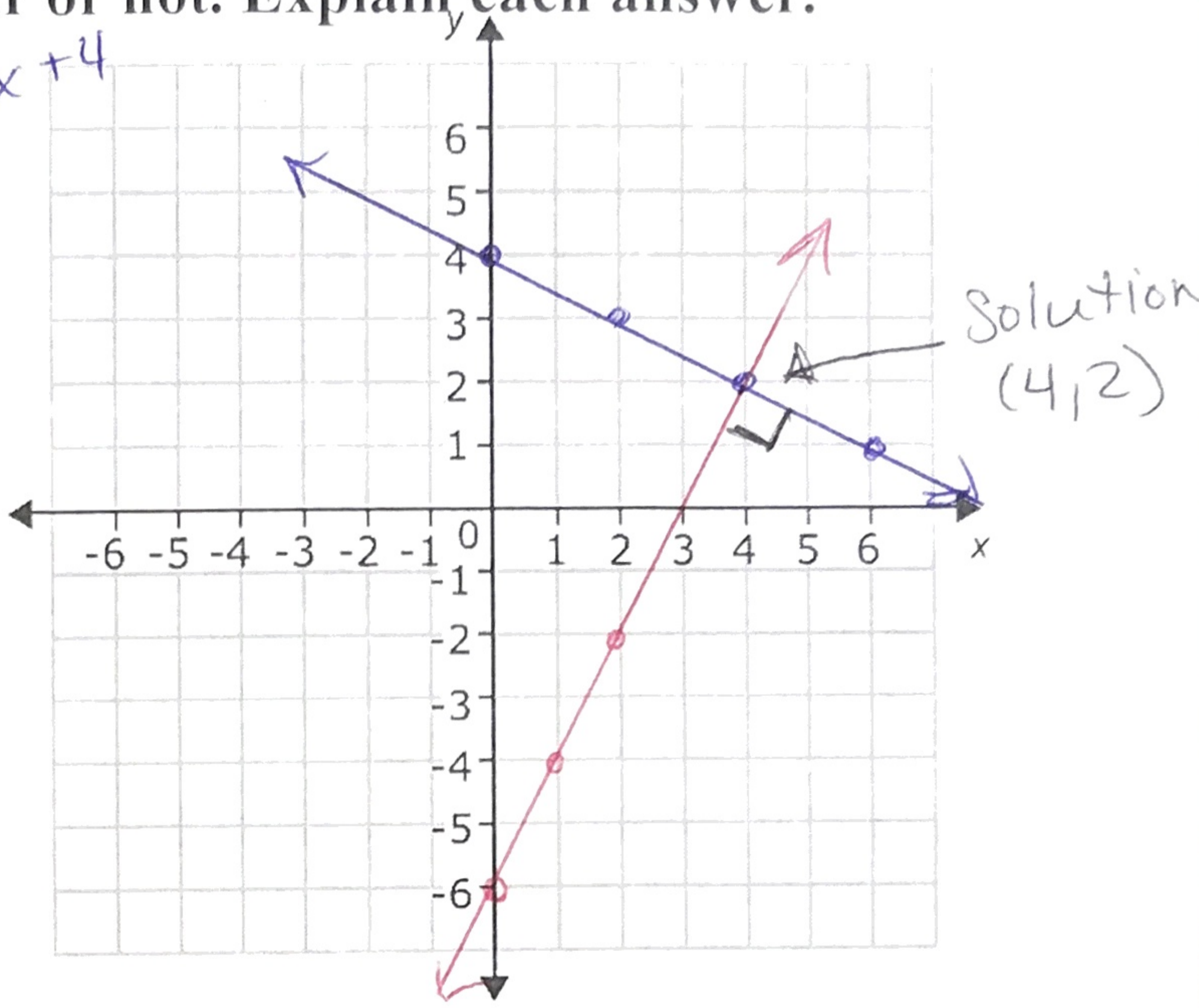


For each system, get the two equations into slope intercept form.

Graph them, then tell if they have infinite, one, or no solutions. If it is one solution, tell if the lines are perpendicular or not. Explain each answer.

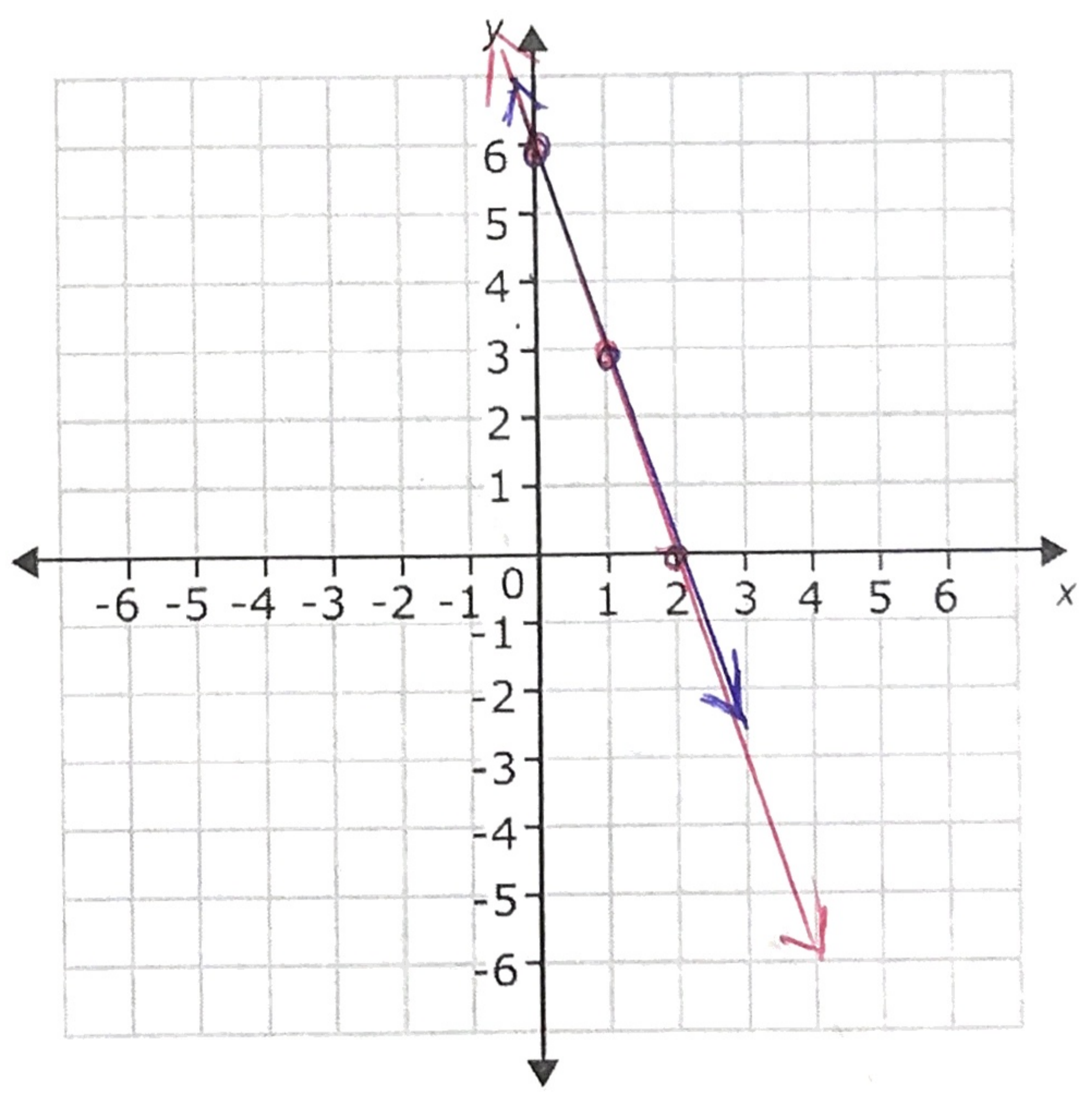
1.  $\begin{cases} x + 2y = 8 \\ y = 2x - 6 \end{cases}$   $\frac{2y}{2} = \frac{-x+8}{2}$   $y = -\frac{1}{2}x + 4$

This has 1 sol'n b/c the slopes are different. The slopes are opposite reciprocals so the lines are  $\perp$ .



2.  $\begin{cases} y + 3x = 6 \\ y = -3x + 6 \end{cases}$   $y = -3x + 6$

This has  $\infty$  sol'n b/c they coincide. They have the same slope & y int.



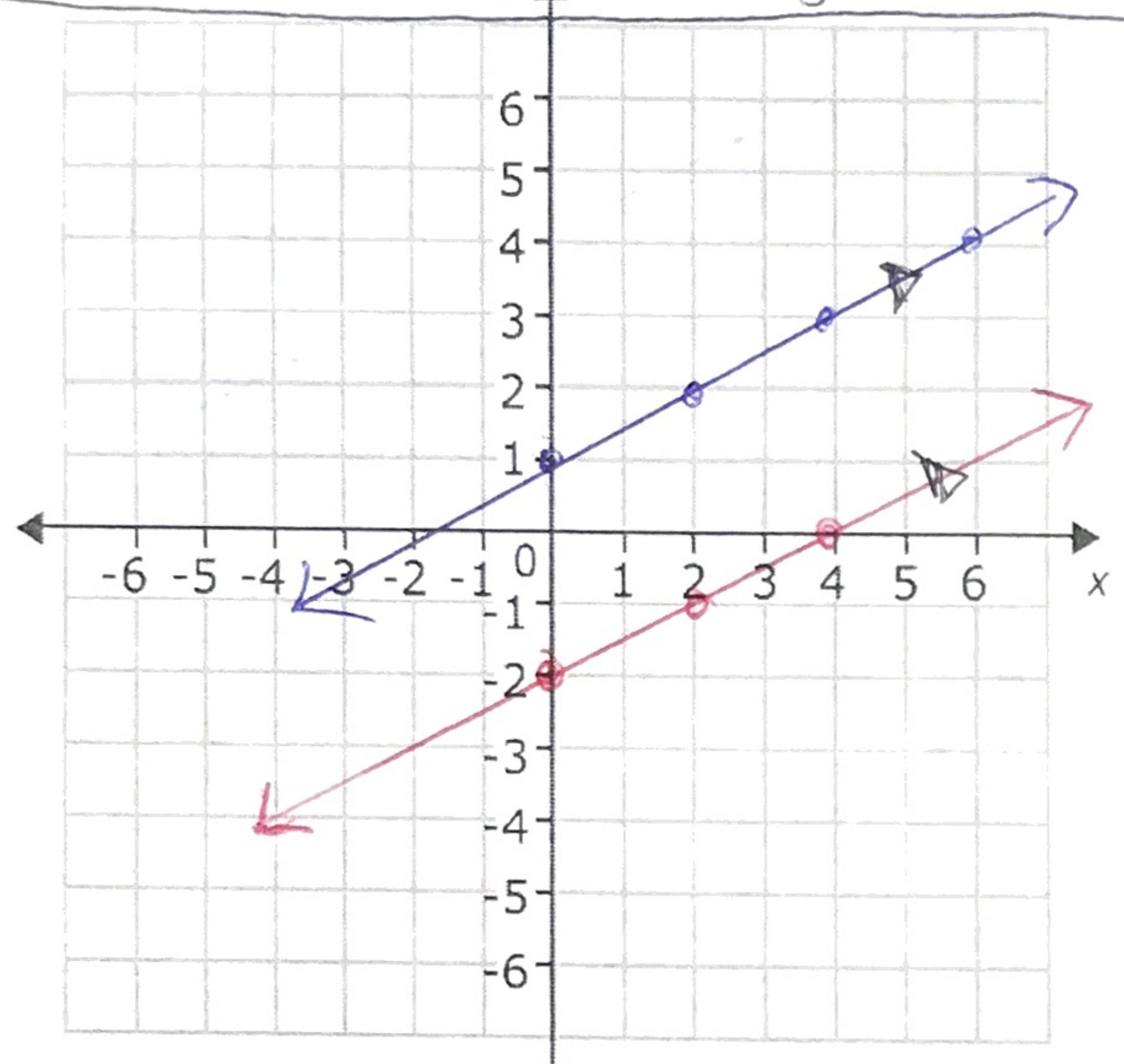
$$3. \begin{cases} 2x+4=4y \\ -x+4=-2y \end{cases} \quad y = \frac{1}{2}x + 1$$

$$\begin{cases} \frac{2x}{4} + \frac{4}{4} = \frac{4y}{4} \\ \frac{-x}{-2} + \frac{4}{-2} = \frac{-2y}{-2} \end{cases} \quad y = \frac{1}{2}x - 2$$

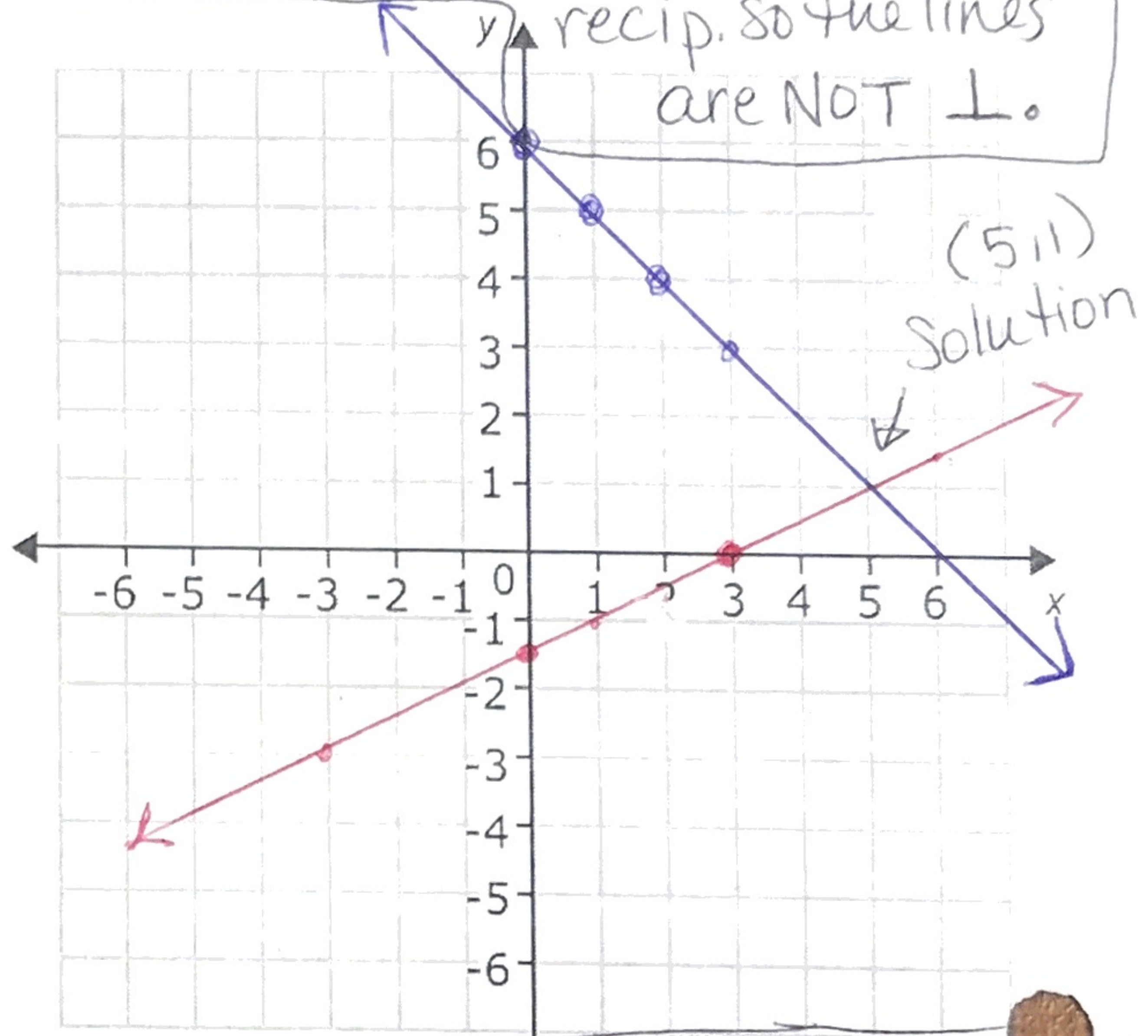
$$4. \begin{cases} 2x+2y=12 \\ x=2y+3 \end{cases} \quad \frac{2y}{2} = \frac{-2x+12}{2} \quad y = -x+6$$

$$\frac{2y}{2} = \frac{x-3}{2} \quad y = \frac{1}{2}x - \frac{3}{2}$$

This has  $\emptyset$  b/c the lines are // (same slope, diff y int.)



This has 1 sol'n b/c the slopes are diff. They are NOT opp, recip. so the lines are NOT  $\perp$ .

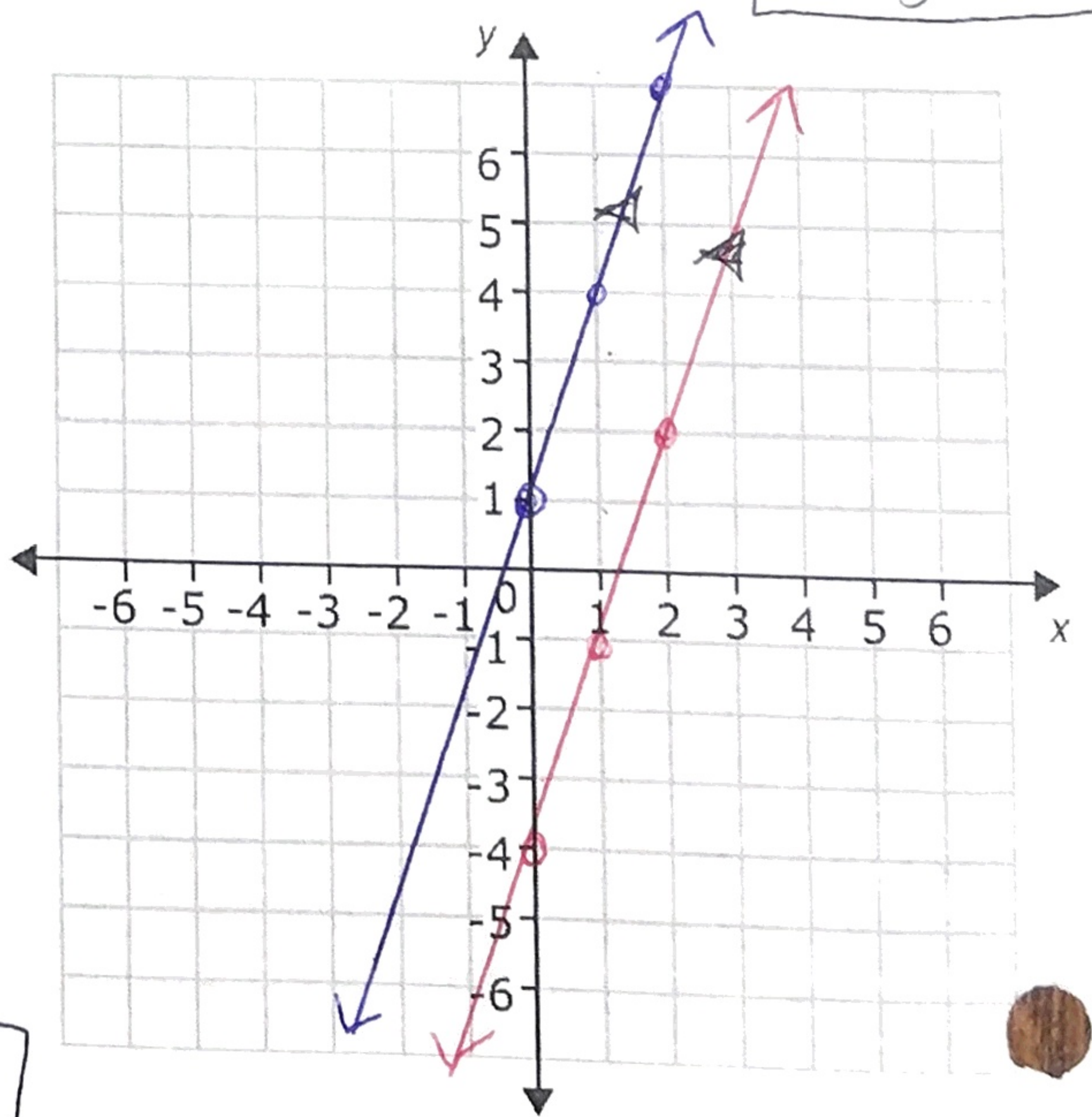
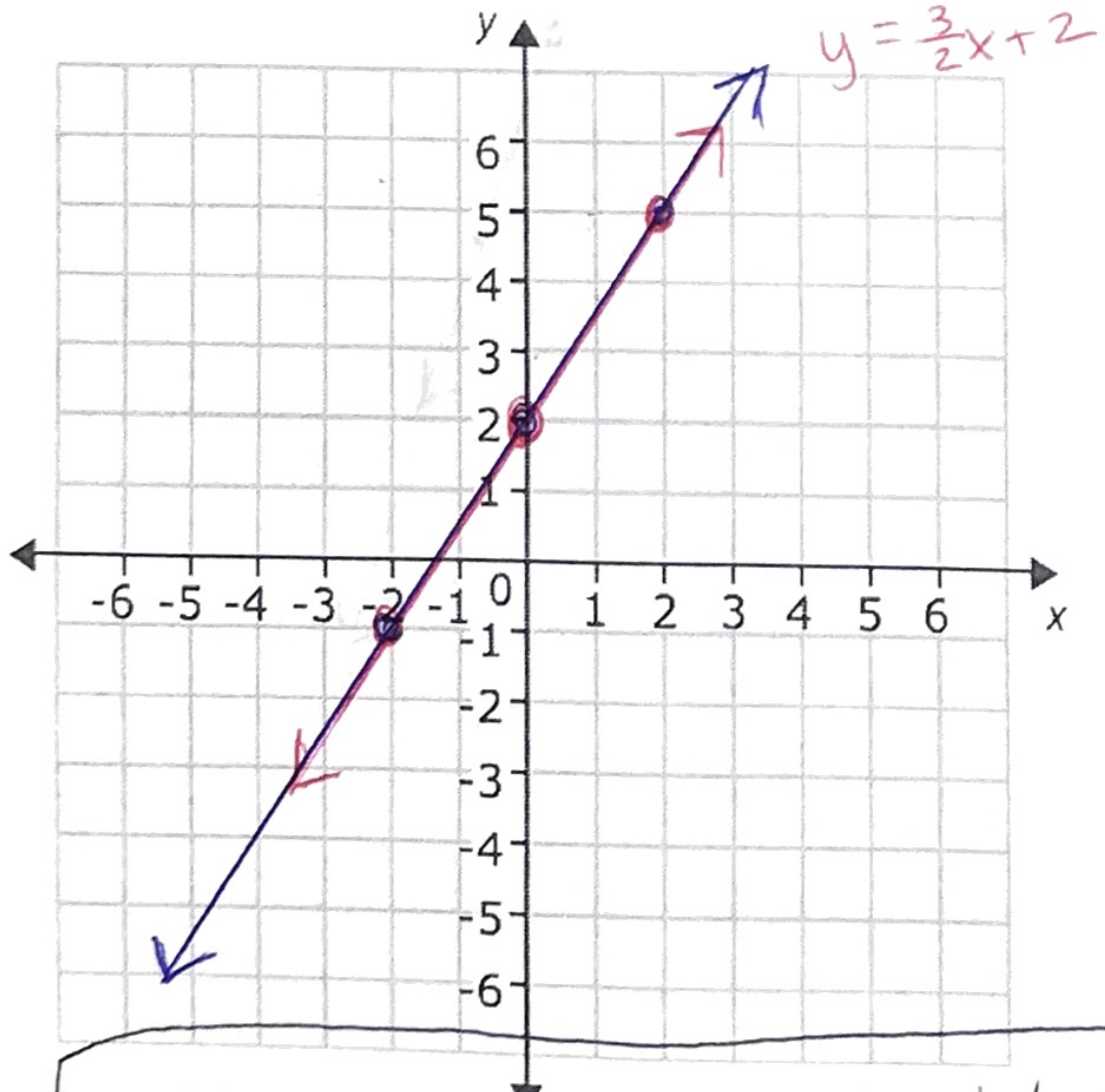


$$5. \begin{cases} -18x+12y=24 \\ 3x-2y=-4 \end{cases} \quad \frac{12y}{12} = \frac{18x+24}{12} \quad y = \frac{3}{2}x + 2$$

$$\begin{cases} -3x \\ -2y = -3x - 4 \\ -2 \quad -2 \quad -2 \end{cases} \quad y = \frac{3}{2}x + 2$$

$$6. \begin{cases} y = 3x + 1 \\ y = 3x - 4 \end{cases}$$

This has  $\emptyset$  b/c these are // (same slope, diff. y int)



This has  $\infty$  sol'n b/c the lines coincide. They have the same slope & y int.